Abstract—With the widespread use of automated speech recognition (ASR) systems in modern consumer devices, attack against ASR systems have become an attractive topic in recent years. Although related white-box attack methods have achieved remarkable success in fooling neural networks, they rely heavily on obtaining full access to the details of the target models. Due to the lack of prior knowledge of the victim model and the inefficiency in utilizing query results, most of the existing black-box attack methods for ASR systems are query-intensive. In this paper, we propose a new black-box attack called the Monte Carlo gradient sign attack (MGSA) to generate adversarial audio samples with substantially fewer queries. It updates an original sample based on the elements obtained by a Monte Carlo tree search. We attribute its high query efficiency to the effective utilization of the dominant gradient phenomenon, which refers to the fact that only a few elements of each origin sample have significant effect on the output of ASR systems. Extensive experiments are performed to evaluate the efficiency of MGSA and the stealthiness of the generated adversarial examples on the DeepSpeech system. The experimental results show that MGSA achieves 98% and 99% attack success rates on the LibriSpeech and Mozilla Common Voice datasets, respectively. Compared with the state-of-the-art methods, the average number of queries is reduced by 27% and the signal-to-noise ratio is increased by 31%.

Index Terms—Adversarial example, automatic speech recognition, black-box attack, Monte Carlo tree search.

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I. INTRODUCTION

Neural networks have incredible representative abilities, which makes them suitable for various signal processing and analysis tasks. Prior works [1], [2], [3] have verified the success of adversarial attacks on neural networks. These attacks bring great potential threats to artificial intelligence systems [4]. Most existing works are devoted to the image domain [5], [6], [7], [8], [9], [10] and text domain [11], [12]. With the wide application of audio speech recognition (ASR) systems, the issue of adversarial examples against ASR has not received enough attention [13]. As shown in Fig. 1, the audio adversarial attack deceives the victim model by adding adversarial noise to the original signal. Due to some non-trivial challenges [14], [15], [16], studies on adversarial attacks in the audio domain is still limited. Existing works on audio adversarial attacks have mainly focused on white-box scenarios, [3], [5], [17] which assume that attackers have access to all the parameters of the target systems. However, this assumption does not hold in practice [18]. In most cases, attackers can only obtain the output of ASR systems [19], [20], [21], [22]. With a sufficient number of queries, black-box attack methods utilize the feedback information to generate adversarial examples; thus, they have become major threats to artificial intelligence models for signal processing.

Existing black-box attack methods are generally query-intensive [18], [23], [24]. The speech signal contains numerous sampling points, and we call these sampling points the elements of the speech signal. As the number of elements of the original sample increases, the search space increases rapidly, which results in an excessive number of queries per attack. For most black-box attacks, however, an excessive number of queries is unacceptable [25], [26], [27], [28]. Existing black-box attack methods [18], [19], [20] add perturbations to the adversarial example in each iteration. These perturbations cover almost each element of the speech signal when the targeted attack is completed. This leads to the fact that adversarial examples are easily detected by detectors. We attribute the excessive queries required by the existing methods to the blind selection of elements during the generation of adversarial examples.

In this paper, we propose a new black-box attack method called the Monte Carlo gradient sign attack (MGSA). Compared with prior works, the proposed method improves the
number of queries and the SNR of the adversarial examples. The main contributions of this paper are summarized as follows:

- We first investigate the phenomenon that only a few elements with large gradients have a sufficient impact on the output of ASR, which is called the dominant gradient phenomenon. The experimental results verify that the utilization of elements with dominant gradients can significantly reduce the number of queries of black-box attacks.
- We propose a new black-box attack, called MGSA for ASR systems; this attack, builds a Monte Carlo tree to search elements with the dominant gradients. Furthermore, we introduce a sampling gradient sign strategy and a momentum iterative strategy to accelerate the convergence speed of the algorithm.
- We conduct extensive experiments on the Mozilla Common Voice and LibriSpeech datasets using DeepSpeech as the target model. The results verify that the proposed method achieves a 98% attack success rate. The average number of queries is reduced by 27% and the signal-to-noise is increased by 31% compared with the state-of-the-art methods.

The rest of the paper is organized as follows. The background of ASR systems and the related work of adversarial attack methods are provided in Section II. The principle and details of the proposed algorithm are provided in Section III. In Section IV, we carry out experimental verification and comparative analysis of the experimental results. We conclude this paper in Section V.

II. BACKGROUND AND RELATED WORK

In this section, we first briefly introduce the background knowledge of ASR systems and then review the related research on adversarial attacks and Monte Carlo tree search methods.

A. Deep Learning-Based ASR Systems

Audio signals are usually sampled as N-dimensional vectors in the time domain. Mel-frequency cepstrum (MFC) is often used as the feature extraction method in the ASR systems to obtain an audio representation by simulating the human auditory system [15], [29]. MFC divides each sound wave into 50 frames per second and projects each frame into the frequency domain. In ASR systems, as shown in Fig. 2, recurrent neural networks (RNN) are usually used to map a preprocessed audio signal to the probability distribution on the output tag [30]. The RNN in ASR systems can be expressed as $(s_{i+1}, y_i) = f(s_i, v_i)$, where $v_i$ is the $i_{th}$ frame of the input vector, $s_i$ is the state vector of $v_i$, and $y_i$ is the probability distribution of the output of $v_i$.

In this paper, the DeepSpeech system [31] is employed as the target ASR system. Since the inputs of ASR are unaligned, connectionist temporal classification (CTC) [32] is introduced to DeepSpeech to find the precise mapping relationship between a pair of inputs and outputs. The objective of CTC is to maximize the sum of the probabilities of all possible alignment paths between the input and the target sequence:

$$\Pr(t|y) = \sum_{\pi \in D(t)} \Pr(\pi|y) = \sum_{\pi \in D(t)} \prod_{i=1}^t y_{\pi_i},$$

where $\pi$ denotes the possible alignments of target sequence $t$ through the mapping operation $D(\cdot)$, and $\pi_i$ is the characteristic of $\pi$ at element $i$ [33]. The loss function used in the DeepSpeech system for training the RNN is the following negative logarithm maximum likelihood functions:

$$L_{CTC}(y, t) = -\log \Pr(t|y).$$

Since the search space is large, dynamic programming is usually employed to improve the computational efficiency.

B. Adversarial Attacks on ASR Systems

The success of adversarial attacks on images has inspired the study of adversarial audio attack on ASR systems [14]. Due to the high dimensionality of the inputs and the almost infinite number of possible target texts, targeted attacks on ASR systems are far more difficult than those on image classification models [34]. Most existing attack methods for ASR systems are only applicable in white-box settings [3], [20], [21], [22], [35]. Iter et al. [36] added perturbations to MFCC features and then reconstructed the speech signal from the perturbed MFCC features. However, the perturbations introduced by the inverse-MFCC process are proven to be too noisy for human ears [14]. Carlini et al. [22] addressed this problem by rebuilding the feature extraction function and proposed an iterative optimization method to generate adversarial examples. Nevertheless, their method takes more than one hour to generate a 3-second adversarial audio sample and thus is very inefficient.

Since an attacker may not be able to obtain enough system information in real scenarios, the black-box attacks have also attracted the attention of researchers. Cisse et al. [21] proposed a transferable adversarial attack, which is only effective for target text that is similar to the content of the original audio. Yuan et al. [37] transferred adversarial examples from Kaldi [38] to DeepSpeech [31] and revealed the poor performance of the transferability of adversarial examples. Zheng et al. [39] claimed that minimal information could be used to improve the transferability of adversarial examples. Other recent works [10], [40], [41] have also implemented black-box attacks based on the transferability of adversarial examples. Despite such attacks are successful, they have major
limitations because attackers usually cannot obtain enough training data with the same distribution as that used in the target model. Even if the attacks are implemented, it is too expensive to retrain one or more alternative models for adversarial examples. Another class of black-box attacks is based on queries and these models generate adversarial examples using the feedback information from the target model. Mun et al. [42] proposed an adversarial attack method based on particle swarm optimization and applied it to the speech command model. Zong et al. [43] implemented a variational autoencoder (VAE) based black-box attack. Although the algorithm has the characteristic of low queries, it is only suitable for untargeted attacks. Alzantot et al. [44] first searched for targeted attacks based on the output probabilities of the victim model. They applied a genetic algorithm to the speech command model and achieved an attack success rate of 87%. Taori et al. [45] combined a genetic algorithm and gradient estimation to attack ASR systems, and they successfully realized the targeted attack of two-word phrases. However, this method is ineffective for long speech and complex target texts, and it takes an extremely long time and requires a great number of queries. Wang et al. [18] proposed a selective gradient estimation attack (SGEA), which selects a small batch of elements to perturb in each iteration based on the results of the previous iterations. However, the effective elements change during the generation of adversarial examples. At the later stage of algorithm execution, the efficiency of this method is similar to that of selecting elements randomly. Although SGEA requires fewer queries than other methods, the noise introduced by this method can still be noticed by the human ear. Khare et al. [20] proposed a multiobjective genetic algorithm to improve the success rate of black-box attacks, but the algorithm requires more queries during the attack than other methods.

In summary, the existing black-box attack methods still have many problems to solve, such as alternative model dependencies, excessive queries, long time-consumption, heavy additional noise, and low success rates for long speech or complex target texts.

C. Monte Carlo Tree Search

The Monte Carlo tree search (MCTS) is the best-first search method under the guidance of Monte Carlo simulation [46]; it was proposed for finite zero-sum games. The goal of MCTS is to give the best next action for a given game state. Compared with other tree search algorithms, MCTS does not need a state evaluate function, so it is widely used in fields, such as robotics planning [47], [48], [49], [50] and optimization [51], [52], [53], [54], where the value of each state is difficult to evaluate.

The main idea of MCTS is to expand an incomplete search tree and predict the best next action using the simulation results. After the Monte Carlo tree (MCT) is initialized, MCTS mainly iterates through four steps: selection, expansion, simulation and backtracking. (1) In the selection step, the algorithm selects a path from the root node of MCT to the end node through some strategies. (2) In the expansion step, new nodes are added to MCT as the children of the nodes selected in the selection step. (3) In the simulation step, the algorithm simulates from the new nodes generated in the expansion step to the final state several times to obtain feedback information. (4) In backtracking step, the algorithm uses simulated feedback information to update the statistical information of all nodes on the backpropagation path.

In MCTS, the statistical information including simulation reward $Q(v)$ and total number of visits $N(v)$, is important attribute of a node and are used to determine the probability that the node will be selected in the selection step. A simple form of $Q(v)$ is the sum of the simulation feedback of the node and its children, and $N(v)$ represents the times the node appears on the backpropagation path.

III. MONTE CARLO GRADIENT SIGN ATTACK

In this section, we first explain the motivation of the MGSA algorithm and then introduce the details of the proposed algorithm.

A. Problem Formulation

To attack a black-box target model $F$ with high-dimensional input, an attacker needs to inject an invisible perturbation into the original example, so that the model outputs the target text. Given an original speech example $X$ and a target text $t$, the problem of searching adversarial examples can be formulated as

$$\begin{align*}
\min ||\delta||_2, \\
\text{s.t.} \quad F(X + \delta) = t, \quad X + \delta \in [-m, m],
\end{align*}$$

(3)
where $|| \cdot ||_2$ is the $L_2$ norm, $\delta$ denotes adversarial perturbation, and $m$ denotes the boundary parameter of legal examples. However, it is difficult to guarantee that the constraint $F(X + \delta) = t$ during the optimization process. Therefore, we optimize the $L_2$ norm of adversarial perturbation $||\delta||_2$ and the distance $d(F(X), t)$ between the model output $F(X)$ and the target text $t$ at the same time. In the field of image recognition, the distance can be measured easily based on the output $F(X)$ and the target label, because the dimension of $F(X)$ is usually set to be the same as the number of labels. However, in the field of speech recognition, many sequences can be normalized to the target text. We take the sequence that has the lowest CTC loss with the original example as the optimization target:

$$\pi_1 = \arg \min_{\pi \in L(t)} (L_{CTC}(F(X), \pi)).$$

Therefore, the distance between $F(X)$ and target text $t$ can be calculated by

$$d(F(X), t) = L_{CTC}(F(X), \pi_1).$$

By taking the $L_2$ norm of the adversarial perturbation as the restriction, the optimization problem in Eq. 3 can be transformed to

$$\delta = \arg \min_{\delta} (L(X, \delta, t)),
\quad L(X, \delta, t) = c \cdot ||\delta||_2 + d(F(X + \delta), T),$$

where $c$ is a balance parameter.

In a black-box setting, the gradient of the target model is not available, so a zero-order optimization method is needed to solve the optimization problem described in Eq. (6). In this paper, we estimate the gradient of the loss function by

$$\nabla_{\delta} L(X, \delta, t) \approx \frac{(L(X, \delta_1, t) - d(F(X), t))/||\delta_1||}{(L(X, \delta_2, t) - d(F(X), t))/||\delta_2||},$$

where $(\delta_1, \cdots, \delta_n)$ is a group of sparse orthogonal vectors, and $\delta_i$ is set to one at element $i$ and zero at the other elements. However, the number of queries required to estimate the gradient for each element is equal to the dimension of the speech signal. For example, when the sampling rate is 16 kHZ, a 3-second audio sample has 48,000 elements, which results in at least 48,000 queries for a round of gradient estimation. Moreover, even if the gradient is estimated for each element, more queries are needed to obtain the appropriate step size.

C. Efficient Element Search

According to the dominant gradient phenomenon, the key to reducing the number of queries is to select the elements with dominant gradients, as mentioned in Section III-B. In this section, an efficient element search algorithm based on MCTS is proposed.

Different from the common application domains of MCTS such as multistep decision games, we study how to quickly find the most effective elements for adversarial examples in this paper. There are two main challenges: (1) In a multistep decision game, the algorithm needs to provide the best next action which corresponds to the first layer under the root node of MCT. However, in our problem, since the algorithm needs to provide the best leaf node (the most effective elements), the middle nodes from the end nodes of MCT to the final states are not important in the simulation step. Therefore, we directly sample elements from the end nodes to evaluate the path. (2) In a multistep decision game, the difficulty comes from the uncertain action of the opponent. MCT can be subsequently deployed by simulating the opponent’s actions in a multistep decision game. Since it is easy to determine the reward based on the endgame state, obtaining the final value of each path is inexpensive. In our problem, the main difficulty is obtaining the value of each path, which comes from the output of the model and therefore relies on expensive queries. To reduce
the number of queries, we should set a reasonable number of branches of MCT to reduce the number of nodes in MCT. We analyze the influence of branches on the search efficiency in section IV-B.

The search process of efficient elements is shown in Algorithm 1. We first take all elements of the original example as the root node, called node$e_0$. The visit number of node$e_0$ is initialized to zero. MCTS in the proposed attack can be divided into four steps: selection, splitting, sampling, and backtracking.

Selection is implemented layer by layer from the root to the end of MCT based on the value of each node. To ensure that each node has a chance to be selected, we add a penalty term based on the visit number of the nodes. As the visit number of a node increases, the probability of the node being selected will decrease. Therefore, the value of each node in the search process is defined as

$$V_{node_k} = \frac{S_{node_k}}{\sum_{node_i \in D} S_{node_i}} + \alpha \cdot \sqrt{\frac{2 \log N_p}{N_{node_k}}},$$

where $S_{node_k}$ is the score of node$e_k$ and the node$e_k$ is obtained from sampling setp; $D$ is the layer where node$e_k$ resides; $N_{node_k}$ represents the visit number of node$e_k$; $N_p$ represents the visit number of node$e_k$’s parent; and $\alpha$ is a coefficient to control the trade-off between the node score and the penalty term. We select the node with the highest score in the end layer of MCT and mark it as Selected node.

If the size of Selected node is less than the set threshold, it is added to the selected leaf set, called Leaves, and marked as unselectable for this round of search; otherwise, we split Selected node randomly into $n$ new child nodes $N = \{node_1, node_2, \ldots, node_n\}$, and add $N$ into MCT.

After splitting, random sampling is performed on the elements to obtain $m$ leaves $L = \{l_1, l_2, \ldots, l_m\}$ for each node$i$ in $N$ respectively. Note that $L$ is not added to MCT. The score of node$i$ is set as the average of the gradients of its leaves:

$$S_{node_i} = \frac{1}{m} \sum_{j=1}^{m} L(x_{i1}^{(j)}, \ldots, x_{ip}^{(j)}) - L(x_{i1}^{(j)} + \delta, \ldots, x_{ip}^{(j)} + \delta)$$

where $p$ is the element number of the node$i$ and $x_{ip}^{(j)}$ is the $p_{th}$ element of $l_j$.

In backtracking step, one is added to the visit number of each node on the path of Selected node. Moreover, the score of each node on the path of Selected node is updated in a bottom-up fashion using the average of the original score and the scores of its children.

As shown by the workflow in Fig. 5, we repeat selection, splitting, sampling, and backtracking until there are enough nodes in the leaf set.

### D. Design of the Iterative Method

After selecting effective elements, we need to obtain the accurate update direction of the adversarial example. In previous black-box attack methods [18], [22], [24], [25], [44], [45], gradient estimation is usually employed to caculate the gradient sign. The vector composed of the gradient sign is regarded as the update direction, and the adversarial example is updated by

$$X_{t+1} = X_t + \beta \cdot \text{sign}(G_t),$$

where $\beta$ is a coefficient to control the trade-off between the update direction and the adversarial example.

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**Fig. 4. CTC-Loss gradient distribution of the end-to-end ASR system:** For a 2-second speech signal with a sampling rate of 16000, it is shown in (a) that the gradient of CTC-Loss for each element in three different target phrases (i.e. OK Google, Hello world, send a message). In (b), we show the gradient statistics corresponding to (a), where the abscissa is the percentage of elements sorted by gradient.
Algorithm 1 Efficient Gradient Search Algorithm (EGSA)

Input:
Original benign input $X$; Target text $y$; Maximum iteration $T$; Victim model $F$; Monte Carlo Tree $MCT$

Output:
Selected elements best elements;

1: Initialize the following parameters:
   - Set of leaves $Leaves$; Set of node selection times $H$
   - Branches of nodes $m$; Size of leaves $b$
2: Selected node $\leftarrow$ root node of MCT
3: For $t$ from 1 to $T$ do
4:   While the length of Selected node $> b$ do
5:      If Selected node is end node of MCT do
6:         Select node $n_p$ according to Eq. (8)
7:      Else do
8:         Divid Selected node into $N = \{n_1, n_2, \ldots, n_m\}$
9:         For $n_i \in N$ do
10:            Random sampling to obtain $m$ leaves
11:            Calculate the score $S_{n_i}$ of $n_i$ using Eq. (9)
12:        End For
13:        Add $N$ into $MCT$
14:        Select node $n_p$ according to Eq. (8)
15:    End If
16:    End While
17:    Add Selected node into Leaves
18:    End For
19: Select nodes with highest score in Leaves as best elements
20: return best elements

where $\beta$ is the step size for updating. It is obvious that estimating the gradient of each element is a query intensive strategy. To reduce the number of queries per iteration, the authors in [45] updated the adversarial example with the batch gradient. For selected elements $B_t = [x^1_t, x^2_t, \ldots, x^n_t]$ in the $t$th iteration, the batch gradient is given by

$$G(B_t) = \frac{L(X + \delta \cdot \sum_{x \in B_t} e_i) - L(X)}{\delta},$$

(11)

where $e_i$ is a unit vector with 1 at element $x_i$ and 0 at the other elements.

However, elements with positive and negative gradients are often included in the same batch, resulting in $G(B_t)$ not being able to correctly reflect the gradient sign of the effective element. The problem is alleviated after the introduction of MCTS. Since the elements with the largest gradient are concentrated in leaves, the gradient signs of most selected elements are the same. Based on the characteristics mentioned above, we propose a sampling gradient sign strategy to further increase the utilization of the queries during the update process, and introduce a momentum iteration strategy to accelerate the algorithm.

1) Sampling Gradient Sign Strategy: In black-box attacks, it is proven to be necessary to obtain the gradient sign of the selected elements. As MCTS progresses, elements with positive gradients gradually become concentrated in the leaf set. Therefore, we use a few queries to select elements with negative gradients among the selected elements. We first divide the selected element set $B_t$ into $m$ subsets $D_t = \{D_t^1, D_t^2, \ldots, D_t^m\}$, and perform batch gradient estimation on each subset to obtain $\{G(D_t^1), G(D_t^2), \ldots, G(D_t^m)\}$. Then the expectation of the gradient sign of $x_p \in B_t$ is evaluated as

$$E_t(x_p) = \frac{\sum_{i=1}^{m} \mathbb{I}(x_p) \cdot G(D_t^i)}{\sum_{i=1}^{m} \mathbb{I}(x_p)},$$

(12)

where $E_t(x_p)$ is the expectation of the gradient of element $x_p$ and $\mathbb{I}(x_p)$ is an indicator function that is defined as

$$\mathbb{I}(x_p) = \begin{cases} 1 & \text{if } x_p \in D_t^j \\ 0 & \text{if } x_p \not\in D_t^j \end{cases},$$

(13)

Finally, the update direction $G S_t$ is set as the vector composed of $\text{sign}(E_t(x_p) - \tau)$ for $x_p \in B_t$, where $\tau$ is a threshold to control the ratio of the negative gradient.
2) Momentum Iteration Strategy: In addition to the elements selected by MCTS, the $k$ elements with the largest momentum gradient are used to update the gradient. The momentum iteration strategy proposed in this paper can be expressed as

\[ A_t = \text{top}_k M_t, \]
\[ M_t = \mu \cdot M_{t-1} + (X_{t-1} - X_{t-2}), \quad M_0 = 0_{1 \times N}, \quad (14) \]

where $M_t$ is the momentum of the $t_{th}$ iteration, $\mu$ is the decay factor, and $A_t$ is the set of $k$ selected elements. The update direction $G_{M_t}$ is set as the vector sign($G(A_t)$), where $G(A_t)$ is the gradient of $A_t$ calculated by Eq. (11). The momentum iteration method can accumulate gradients and accelerate the convergence speed of gradient descent.

**Algorithm 2 Monte Carlo Gradient Sign Attack (MGSA)**

**Input:**
- Original benign input $X$; Target phrase $y$; Victim model $L$

**Output:**
- Adversarial audio sample $X'$

1: Initialize the following parameters:
- Maximum iteration $T$;
- Expectation threshold $\tau$;
- Decay factor $\mu$; Learning rate $\beta$.
- Root node $N_0 = \{x_1, x_2, \ldots, x_p\}$

2: $M_0 \leftarrow 0_{1 \times N}$
3: $t \leftarrow 0, \quad X_0 \leftarrow X$
4: $\text{MCT} \leftarrow N_0$
5: While $t < T$ and $\text{Decode}(x_t) = y$ do
6: \quad $B_t \leftarrow EGSA(x_t, y, T, L, \text{MCT})$ \hspace{1em} // Call Algorithm 1
7: \quad Divide $B_t$ into $D_t = \{D^1_t, \ldots, D^m_t\}$
8: \quad Perform batch gradient estimation on $D_t$ to obtain $\{G(D^1_t), G(D^2_t), \ldots, G(D^m_t)\}$
9: \quad Calculate the expectation of gradient sign by Eq. (12)
10: \quad $G_S_t = \sum_{x_p \in R} e_p \cdot \text{sign}(E_t(x_p) - \tau)$
11: \quad $M_{t+1} = \mu \cdot M_t + (X_t - X_{t-1})$
12: \quad $A_t \leftarrow \text{top}_k (M^1_t, M^2_t, \ldots, M^m_t)$
13: \quad For $x_t \in A_t$ do
14: \quad \quad $G(x_t) \leftarrow L(X_t + e_i \cdot \delta, y) - L(X_t, y)$
15: \quad \quad End For
16: \quad $G_{M_t} = \sum_{x_t \in A_t} e_i \cdot \text{sign}(G(x_t))$
17: \quad $X_{t+1} \leftarrow X_t + \beta \cdot (G_{S_t} + G_{M_t})$
18: \quad $t \leftarrow t + 1$
19: \quad End While
20: $X' \leftarrow X_t$
21: return $X'$

The details of MGSA are provided in Algorithm 2. In each iteration, we update the adversarial example with the above two strategies as follows:

\[ X_{t+1} = X_t + \beta \cdot (G_{S_t} + G_{M_t}), \quad (15) \]

where $G_{S_t}$ and $G_{M_t}$ are the gradient signs from the sampling gradient sign strategy and momentum iteration strategy, respectively.

### E. Robustness Training

In real scenarios, adversarial examples often need to be played outside the target ASR system and re-recorded, which introduces new noise and sequential offset. To improve the robustness of adversarial examples, we introduce robustness training to the proposed method.

The frequency range of human speech is typically 20 to 200.00 Hz, and adversarial examples outside the legal frequency range will be truncated when they are re-recorded. Therefore, we first perform bandpass filtering on the adversarial examples. The range of the filter is set to 1000 to 4000 Hz in our experiments.

ASR systems conform to the acoustic time window to retain speech features, so that the speech features satisfy the short-term stability of the speech even if there is time sequence offset after framing. Different from natural speech, adversarial examples are randomly searched in the gradient direction and have no continuity or smoothness. Therefore, high-frequency enhancement and framing operations after the time sequence offset of speech will destroy adversarial examples. To improve the offset robustness, random offset are introduced to adversarial examples in MGSA.

The perturbation introduced during the rerecording varies and includes not only the noise in the air, but also the room reverberation and electronic noise related to equipment. Therefore, it is difficult to directly capture the distribution of noise in the real world. According to relevant studies in the field of speech enhancement, a random noise fragment in a natural environment can be generated by a linear combination of basic noise. We sample white Gaussian noise to simulate natural noise, so the transfer on the adversarial examples can be expressed as

\[ t(x) = \text{pad}(r, x) + \epsilon, \quad \epsilon \sim N, r \sim R, \quad (16) \]

where, $\text{pad}(r, x)$ is filled with $r$ bit zeros before $x$, $N$ is a Gaussian distribution and $R$ is the distribution of the sequential offset that is setted as a uniform distribution in our experiments. Therefore, the objective function with robustness training can be formulated as

\[ L_{RT} = E_{r \sim N, r \sim R}[L_{CTC}(t(x + B(\delta), T)], \quad (17) \]

where $T$ is the target text of the adversarial attack and $B$ is the bandpass filter. We optimize $L_{RT}$ with MGSA, and the experiments are described in detail in section IV.

### IV. Experiment

In this section, experiments are conducted to test the effectiveness of the proposed attack. The experimental settings, including the dataset, the target model and evaluation metrics, are described in Section IV-A. The influence of the hyperparameters of MCT is analyzed in Section IV-B. The effects of the sampling gradient sign strategy and momentum iteration strategy are presented in Section IV-C. Finally, we compare the proposed method with the state-of-the-art methods in Section IV-D.
A. Experimental Settings

1) Datasets: Mozilla common voice dataset (MCVD) and LibriSpeech dataset are chosen in our experiments. MCVD is the largest publicly available voice dataset. It contains nearly 1,400 hours of voice data from more than 42,000 contributors. The LibriSpeech corpus [55] is a collection of approximately 1,000 hours of audiobooks, and it is suitable for training and evaluating ASR systems. We randomly choose 100 audio samples from the LibriSpeech and MCVD corpus, respectively, and segment each sample into two-second clips. Unless otherwise specified, all our experimental results are averaged over these 200 instances.

2) Target Model: DeepSpeech [31] is adopted as the target model in our experiment. As a current state-of-the-art ASR model, this model has become a common target for counter-measures. We use the following indicators to measure the performance of the attack methods.

- The success Rate (SR) refers to the proportion of adversarial examples recognized as target texts by the target model.
- The number of queries (NoQ) refers to the visit number of the target model during the generation of adversarial examples.
- The pearson correlation coefficient (PCC) is an indicator used to measure the similarity between the original audio and adversarial examples.
- The word error rate (WER) is an indicator used to measure the difference between the target text and the decoded text, and is calculated by

\[
WER = 100 \cdot \frac{D_{word} + S_{word} + I_{word}}{N_{word}}, \tag{18}
\]

where \(D_{word}\), \(S_{word}\), and \(I_{word}\) are the numbers of deletions, substitutions, and insertions of words, respectively, and \(N_{word}\) is the total number of words in the target text.

- The signal-to-noise ratio (SNR) is used to measure the level of noise added by the attack algorithm, and can be calculated by

\[
SNR = 10 \log_{10} \left( \frac{dB_{audio}}{dB_{noise}} \right), \tag{19}
\]

where \(dB_{audio}\) and \(dB_{noise}\) are the energies of the original audio and the noise, respectively.

4) Target Text: Untargeted attacks against the ASR model are usually considered meaningless, while the existing black-box attacks introduce excessive noise or require intensive queries for complex target texts. To better evaluate the effectiveness of the proposed method, we first adopt short texts commonly used in related works as the target texts, such as “OK Google”, “Thank You”, “Hello World” and “Open the Door”. Then, we choose more complex texts, such as “Ask capital one to make a credit card payment” and “Call the police for help quickly”.

B. Hyperparameter Analysis of the Monte Carlo Tree Search

In this section, we analyze the influence of the hyperparameters in MCTS and determine the appropriate hyperparameter values.

The hyperparameters that play a key role in the search efficiency include the number \(m\) of branches of each layer, the size \(b\) of the leaf, and the number \(s\) of search rounds. Since the target of the search step is to obtain effective elements with the least number of queries, we define the search effect \(E\) as the ratio of the average gradients of the selected elements to the number of queries:

\[
E = \frac{\sum_{i\in Q_i} grad_i}{n \cdot \sum_{i\in Q_i}}, \tag{20}
\]

where \(n\) is the number of selected elements, \(grad_i\) is the gradient of the selected leaf in the \(i\)th search, and \(Q_i\) is the number of queries.

The number \(m\) of branches affects the number of queries in each round of the search, and the number \(s\) of search rounds affects the gradients of the selected elements. A larger \(m\) leads to more queries, while a smaller \(m\) means that there is more effective element loss at the high layer of the search tree. With an increase in \(s\), an increasing number of effective elements are selected, but the gain of the new queries decreases. The influence of \(m\) and \(s\) on the search effect \(E\) is shown in Fig. 6(a). The experimental results are obtained after 100 iterations. It can be seen that the search performance reaches the highest level when \(s = 7\) and \(m = 8\).

In addition, we test the influence of leaf size \(b\) on the performance of MCTS under the conditions of \(Q = 50,000\) and \(m = 8\). Fig. 6(b) shows that random selection (the number of search rounds \(b = 0\)) can only achieve a 71% attack success rate after 50,000 queries, while the attack success rate increases to 79% when \(b = 7\). The algorithm performs best when the leaf size is set to 7, and invalid elements will be mixed into the selected leaves when the leaf size continues to increase, thereby reducing the success rate of the attack.

C. Experimental Analysis of the Iterative Method

In Section III-D, we propose a sampling gradient sign strategy and momentum iteration strategy to improve the performance of the algorithm. In this section, we test the accuracy of the gradient sign estimation strategy and the effect of the momentum iteration strategy.

Table I reports the accuracy of sampling gradient sign estimation in the whole iteration process, where the sampling
Fig. 6. **Hyperparametric analysis:** search efficiency and success rate of MGSA on the branch $m$ of each layer, the size $b$ of leaf, and the number $s$ of search rounds.

![Graph showing search efficiency and success rate](image)

Fig. 7. Comparison of convergence speed and SNR between with and without Monte Carlo tree, sampling gradient sign strategy, momentum iterative strategy.

![Graph showing average search efficiency and success rate](image)

**TABLE II**

<table>
<thead>
<tr>
<th>Evaluation Metrics</th>
<th>WER (%)</th>
<th>Success Rate (%)</th>
<th>SNR (dB)</th>
<th>PCC</th>
</tr>
</thead>
<tbody>
<tr>
<td>Without MI</td>
<td>13%</td>
<td>76.5%</td>
<td>21.7</td>
<td>0.9981</td>
</tr>
<tr>
<td>With MI</td>
<td>4%</td>
<td>92.8%</td>
<td>20.9</td>
<td>0.9973</td>
</tr>
</tbody>
</table>

A comparison of the algorithm convergence with and without the proposed search strategy is presented in Fig. 7. Since there are fewer and fewer effective elements in the later stage of the process, random sampling cannot accurately capture the effective elements. Therefore, the efficiency of the proposed algorithm can be greatly improved by using MCTS. As shown in Fig. 7(a), although the convergence rate of the algorithm is slow in the early stage of the process after the introduction of MCTS, the total number of queries is less than the number of queries required for random sampling. After using the sampling gradient sign strategy, the number of queries for gradient updating decreases, which significantly reduces the total number of queries. As a result, the convergence speed of the algorithm is accelerated. A comparison of the SNRs is shown in Fig. 7(b). The SNR of the adversarial examples generated by MGSA is 30% higher than that of the adversarial examples generated by the baseline method. The ablation study of the MGSA on LibriSpeech is shown in Table III. It can be seen that the number of queries decreases by 22% with MCTS compared with the baseline method. The experimental results show that the use of the sampling gradient sign strategy further reduces the number of queries by 17%.

**TABLE III**

<table>
<thead>
<tr>
<th>Settings</th>
<th>SR</th>
<th>NoQ</th>
<th>SNR</th>
</tr>
</thead>
<tbody>
<tr>
<td>Random select</td>
<td>86.8%</td>
<td>165400</td>
<td>13.7</td>
</tr>
<tr>
<td>MCTS</td>
<td>98.7%</td>
<td>84200</td>
<td>18.9</td>
</tr>
<tr>
<td>+Momentum iteration</td>
<td>99.1%</td>
<td>80600</td>
<td>19.2</td>
</tr>
<tr>
<td>+Sampling gradient estimation</td>
<td>96.5%</td>
<td>72300</td>
<td>18.3</td>
</tr>
</tbody>
</table>
D. Comparison Results

In this section, the proposed algorithm is compared with a genetic algorithm based attack (GAA) [45], gradient estimation attack (GEA) [27], selective gradient estimation attack (SGEA) [18], particle swarm optimization (PSO) attack [42], natural evolution strategy (NES) attack [26] and natural gradient descent (NGD) attack [58]. In our experiments, we set the same learning rate and decay rate for five algorithms (GEA, SGEA, NES, NGD and MGSA), as in [44]. It is worth noting that for NGD, we need to calculate the Fisher information matrix
\[ F = \sum_{t=1}^{T} p(t|x, \delta) \nabla \log p(t|x, \delta) \nabla \log p(t|x, \delta)^T, \]
where \( T \) denotes all possible classes. Since NGD is used to attack the image classification model in [58], the classes are limited. However, the ASR model is sequence to sequence, and the possible outputs are almost infinite. To enable NGD to work on the ASR model, we reconstruct the Fisher information matrix as
\[ F = p(t'|x, \delta) \nabla \log p(t'|x, \delta) \nabla \log p(t'|x, \delta)^T, \]
where \( t' \) is the target text. We adopt the same experimental setup for PSO as in [42]. In the comparison experiments, we set the upper limit of the number of queries to 300,000. Therefore, attacks are considered to have failed when the number of queries is greater than 300,000. Table IV reports the average results in terms of SR, PCC, NoQ, WER and SNR for the 200 samples sampled in section IV-A. It can be seen from Table IV that GAA and PSO usually cannot find effective adversarial examples even after 300,000 queries. Although NES, NGD, GEA and SGEA are able to realize successful targeted attacks, their SNRs are less than 18 dB. The success

### Table IV

Comparison Results of GAA [45], GEA [27], PSO [42], NES [26], NGD [58], SGEA [18], and MGSA (the Proposed Attack) on LibriSpeech and Common Voice Datasets

<table>
<thead>
<tr>
<th>Dataset</th>
<th>Method</th>
<th>Send a message</th>
<th>Call the police</th>
<th>Restart the phone</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>SR</td>
<td>NoQ</td>
<td>PCC</td>
<td>WER</td>
</tr>
<tr>
<td>LibriSpeech</td>
<td>GAA</td>
<td>43% 279900 0.933 42% 13.7</td>
<td>40% 285800 0.935 42% 13.8</td>
<td>46% 273100 0.936 36% 13.6</td>
</tr>
<tr>
<td></td>
<td>GEA</td>
<td>81% 172800 0.952 16% 14.2</td>
<td>80% 183100 0.955 15% 13.9</td>
<td>84% 178400 0.953 17% 14.3</td>
</tr>
<tr>
<td></td>
<td>PSO</td>
<td>52% 259600 0.954 38% 14.5</td>
<td>41% 281600 0.951 59% 14.5</td>
<td>54% 246400 0.949 48% 15.9</td>
</tr>
<tr>
<td></td>
<td>NES</td>
<td>89% 114200 0.981 6% 17.1</td>
<td>85% 135600 0.978 11% 16.9</td>
<td>88% 118400 0.977 7% 17.7</td>
</tr>
<tr>
<td></td>
<td>NGD</td>
<td>88% 126600 0.984 5% 17.2</td>
<td>88% 124800 0.982 8% 17.0</td>
<td>93% 120100 0.981 4% 18.1</td>
</tr>
<tr>
<td></td>
<td>SGEA</td>
<td>97% 84300 0.961 2% 14.7</td>
<td>95% 84500 0.961 5% 15.1</td>
<td>98% 78300 0.966 2% 15.4</td>
</tr>
<tr>
<td></td>
<td>MGSA</td>
<td>99% 63200 0.997 1% 19.5</td>
<td>99% 75200 0.997 1% 19.7</td>
<td>100% 63800 0.997 0% 20.5</td>
</tr>
<tr>
<td>Common Voice</td>
<td>GAA</td>
<td>41% 285200 0.937 58% 13.6</td>
<td>41% 272400 0.938 33% 13.7</td>
<td>45% 268800 0.939 30% 13.9</td>
</tr>
<tr>
<td></td>
<td>GEA</td>
<td>80% 168400 0.956 22% 14.1</td>
<td>82% 175200 0.954 14% 13.5</td>
<td>88% 169200 0.958 9% 14.2</td>
</tr>
<tr>
<td></td>
<td>PSO</td>
<td>49% 265400 0.95 42% 15.4</td>
<td>55% 267800 0.964 32% 16.1</td>
<td>50% 272500 0.96 37% 15.9</td>
</tr>
<tr>
<td></td>
<td>NES</td>
<td>82% 104200 0.981 6% 16.7</td>
<td>76% 133500 0.971 13% 15.8</td>
<td>86% 152900 0.976 5% 17.9</td>
</tr>
<tr>
<td></td>
<td>NGD</td>
<td>85% 96300 0.984 8% 17.9</td>
<td>79% 129400 0.980 10% 16.2</td>
<td>90% 138900 0.982 3% 18.5</td>
</tr>
<tr>
<td></td>
<td>SGEA</td>
<td>98% 80400 0.97 1% 15.2</td>
<td>97% 86300 0.964 2% 15.1</td>
<td>98% 82600 0.97 1% 15.7</td>
</tr>
<tr>
<td></td>
<td>MGSA</td>
<td>98% 72800 0.998 1% 19.7</td>
<td>98% 68200 0.997 1% 19.1</td>
<td>99% 71200 0.998 1% 18.9</td>
</tr>
</tbody>
</table>

### Table V

Comparison Results of GEA, PSO, NES, NGD, SGEA, and MGSA on More Complex Target Texts on LibriSpeech Datasets

<table>
<thead>
<tr>
<th>Adversarial Audio (Recognized result of DeepSpeech)</th>
<th>GEA</th>
<th>NES</th>
<th>NGD</th>
<th>SGEA</th>
<th>MGSA</th>
</tr>
</thead>
<tbody>
<tr>
<td>Turn on flashlight</td>
<td>16.9</td>
<td>149500 0.977 87% 12%</td>
<td>15.4</td>
<td>133000 0.971 90% 9%</td>
<td>19.2</td>
</tr>
<tr>
<td>Read last sms from boss</td>
<td>16.2</td>
<td>179800 0.975 84% 20%</td>
<td>14.7</td>
<td>197800 0.967 83% 21%</td>
<td>18.7</td>
</tr>
<tr>
<td>Please restart the phone</td>
<td>15.8</td>
<td>204200 0.972 82% 24%</td>
<td>14.7</td>
<td>197200 0.968 83% 22%</td>
<td>18.6</td>
</tr>
<tr>
<td>Send a message to Derek</td>
<td>15.7</td>
<td>213700 0.972 77% 29%</td>
<td>14.3</td>
<td>204800 0.965 79% 26%</td>
<td>18.4</td>
</tr>
<tr>
<td>Show me my last messages</td>
<td>15.5</td>
<td>229800 0.968 67% 43%</td>
<td>14.2</td>
<td>207800 0.962 72% 36%</td>
<td>18.1</td>
</tr>
<tr>
<td>Call the police for help quickly</td>
<td>15.3</td>
<td>236600 0.966 65% 61%</td>
<td>13.9</td>
<td>204700 0.954 70% 52%</td>
<td>17.6</td>
</tr>
<tr>
<td>Remove all photos in my phone</td>
<td>15.3</td>
<td>244500 0.965 59% 64%</td>
<td>13.9</td>
<td>214500 0.956 61% 62%</td>
<td>17.7</td>
</tr>
<tr>
<td>Clear SMS history from my phone</td>
<td>15.1</td>
<td>249200 0.963 52% 81%</td>
<td>13.8</td>
<td>229800 0.953 55% 76%</td>
<td>16.9</td>
</tr>
<tr>
<td>What is my schedule for tomorrow</td>
<td>15.0</td>
<td>256300 0.963 44% 98%</td>
<td>13.7</td>
<td>236400 0.951 48% 91%</td>
<td>16.8</td>
</tr>
</tbody>
</table>
TABLE VI

**Comparison Results on Robustness of Adversarial Example Among Attacks:** GAA, GEA, PSO, NES, NGD, SGEA, MGSA (without robustness training) and MGSA (with robustness training). The value of $N$ is the SNR of added white noise, and the value of $O$ is the amount of sequential offset.

<table>
<thead>
<tr>
<th>Target text: Ok google</th>
<th>WER (%)</th>
<th>SNR</th>
<th>NoQ</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>N(25)</td>
<td>N(20)</td>
<td>N(15)</td>
</tr>
<tr>
<td>GAA</td>
<td>34.3</td>
<td>48.3</td>
<td>66.1</td>
</tr>
<tr>
<td>GEA</td>
<td>31.5</td>
<td>48.1</td>
<td>64.1</td>
</tr>
<tr>
<td>PSO</td>
<td>46.8</td>
<td>71.7</td>
<td>81.9</td>
</tr>
<tr>
<td>NES</td>
<td>41.8</td>
<td>52.8</td>
<td>81.0</td>
</tr>
<tr>
<td>NGD</td>
<td>44.4</td>
<td>48.7</td>
<td>63.8</td>
</tr>
<tr>
<td>SGEA</td>
<td>24.5</td>
<td>40.3</td>
<td>47.5</td>
</tr>
<tr>
<td>MGSA(wo/RT)</td>
<td>21.4</td>
<td>37.1</td>
<td>52.7</td>
</tr>
<tr>
<td>MGSA(w/RT)</td>
<td>2.4</td>
<td>10.7</td>
<td>26.3</td>
</tr>
</tbody>
</table>

![Original audio](image1)

![NGD](image2)

![MGSA](image3)

![Original audio](image4)

![NGD](image5)

![MGSA](image6)

**Fig. 8.** Comparison of the waveforms and spectrograms among the original audio and the adversarial audios generated by NGD and MGSA.

The rate of the MGSA algorithm reaches 98%, and the similarity between the adversarial examples and the original example reaches 0.99. The number of queries required by MGSA is also much lower than those required by the compared methods.

In Table V, we test the algorithm on more complex target texts. As the length of the target text increases, the number of queries required by MGSA grows at a significantly lower rate than that of the compared algorithms. This can be attributed to the selection of effective elements with MCTS.

We further test the robustness of the algorithm against noise and sequential offset for adversarial examples. In the robustness training of MGSA, Monte Carlo approximation is used to replace the expectation in $L_{RT}$:

$$\hat{L}_{RT} = \frac{1}{n_{MC}} \sum_{i=1}^{n_{MC}} L_{CTC}(t(x + BPF(\delta_t)), T),$$

where $n_{MC}$ is set to 3 and $\delta_t$ is sampled from distributions $\mathcal{N}$ and $\mathcal{R}$ every 10 iterations. As shown in Table VI, MGSA has a lower WER score than the compared methods even without robustness training. Because less disturbance is introduced by MGSA, it is harder for the adversarial samples to be destroyed by noise and sequential offset. After robustness training, the robustness of the adversarial examples is significantly improved. However, since the task is more difficult, the robustness training requires more queries. Although the algorithm is effective, the WER value is still high when both noise and offset are introduced, which is worth further study in the future.

We show the time consumption of the proposed method and the compared methods in Table VII. Due to the introduction of MCTS, each iteration of MGSA for longer than GEA and SGEA. However, since MGSA requires fewer queries,
fewer iterations are needed. Especially under long target texts, MGSA achieves a higher SNR value and is not significantly slower than the compared methods.

In Fig. 8, we compare the waveforms and spectra of adversarial examples generated by NGD and MGSA. From the waveforms, it can be seen that the MGSA adversarial examples essentially maintain the waveform of the original audio sample, while the NGD adversarial examples have obvious noise. In the spectra, the adversarial examples generated by MGSA are almost indistinguishable from the original audio samples in the areas with no human voice (noted by blue circled), and NGD introduces more noise. This means that the noise introduced by MGSA is mixed with human voice samples and is thus less detectable.

V. CONCLUSION AND DISCUSSION

In this paper, we propose a novel adversarial attack method called MGSA, which takes advantage of the phenomenon of the dominant gradient in ASR systems. First, we introduce MCTS to improve the query efficiency. Then, we propose a sampling gradient sign strategy and momentum iterative strategy for updating adversarial examples. Finally, we introduce robustness training to improve the robustness of the adversarial examples. The extensive experimental results show that the proposed method requires fewer queries and introduces less noise than the existing black-box attacks. After robustness training, the robustness of adversarial examples generated by MGSA is improved significantly. The superiority of MGSA compared with the related methods provides direction for future works and encourages the investigation of queries to improve the stability of adversarial examples in the future.

Second, we find in our experiments that the robustness of the adversarial examples generated by the existing methods and the proposed MGSA is insufficient, resulting in a low success rate in “over-the-air” scenarios. Due to the lack of short-term stability, adversarial examples are easily destroyed by transforms such as noise and sequential offset transforms. Therefore, it is worth studying how to improve the stability of adversarial examples in the future.

REFERENCES


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